

Woo Yeong Choi<sup>1</sup>, Yilu Liu<sup>1,2</sup>

<sup>1</sup> The University of Tennessee, Knoxville <sup>2</sup> Oak Ridge National Laboratory, TN

## Background

- Analysis method needed for prediction of angle instability in power system, rather than post-event prediction.
- High-order derivative methods applicable in fields predicting dynamic characteristics by mathematizing physical dynamics.
- Preliminary research conducted on angle instability assessment for large-scale power systems application

## Conclusion and Future Works

- Verification of 100% proactive instability prediction in potential line-fault scenarios in the grid.
- Refinement needed for prediction based on PMU data or methods such as data filtering for practical grid environments.
- Future research will focus on feasibility assessment in large-scale grids with significant renewable energy integration, such as WECC and ERCOT system.

## Methodology & Application

- Analysis of the phase dynamics of generators

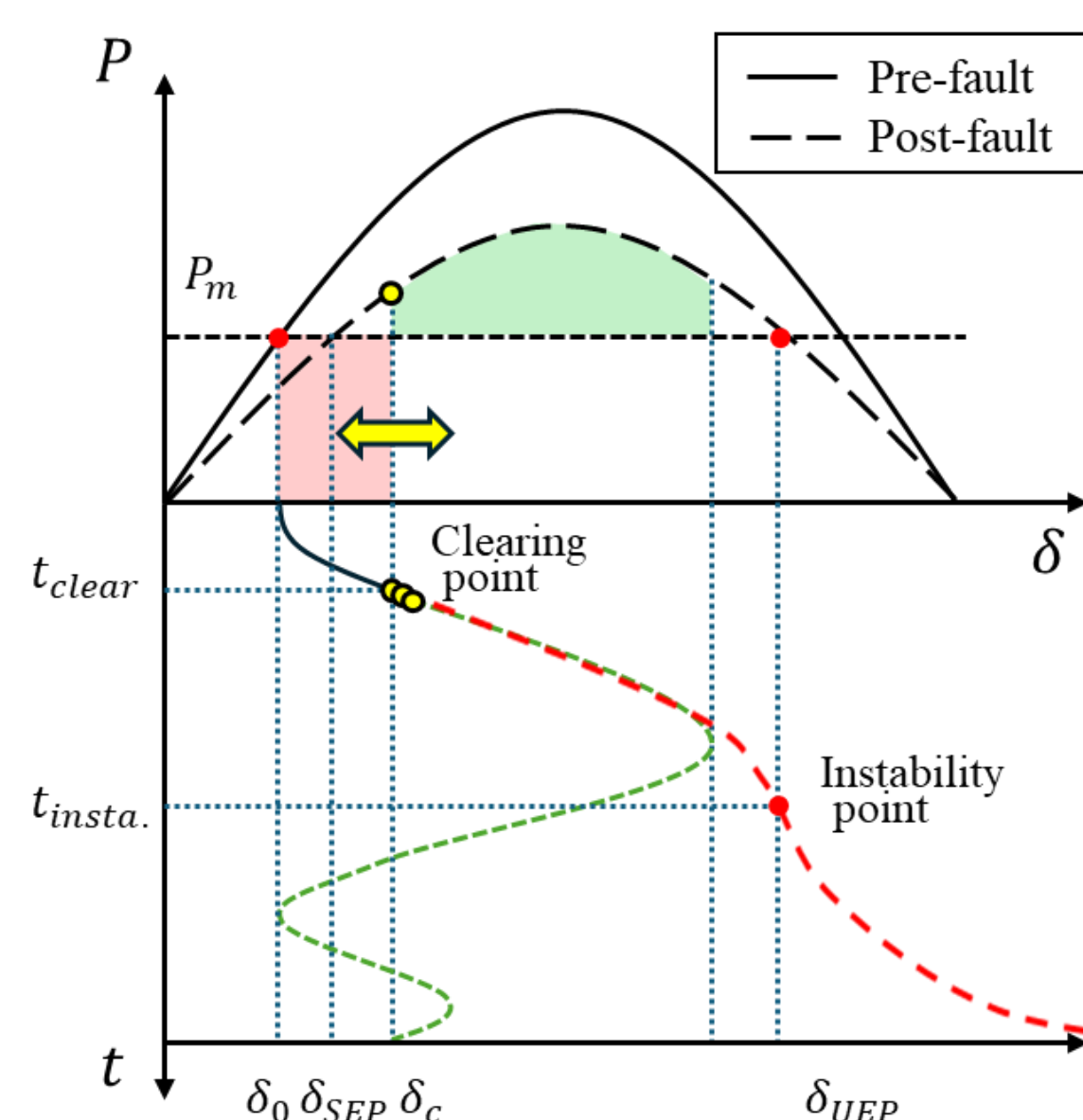
$$\delta^{(1)} = \omega_0 \Delta\omega; \delta^{(2)} = \frac{\omega_0}{H} \left( P_m - \frac{V_1 V_2}{X} \sin\delta \right);$$

$$\delta^{(3)} = -\frac{\omega_0 V_1 V_2}{H X} \delta^{(1)} \cos\delta$$

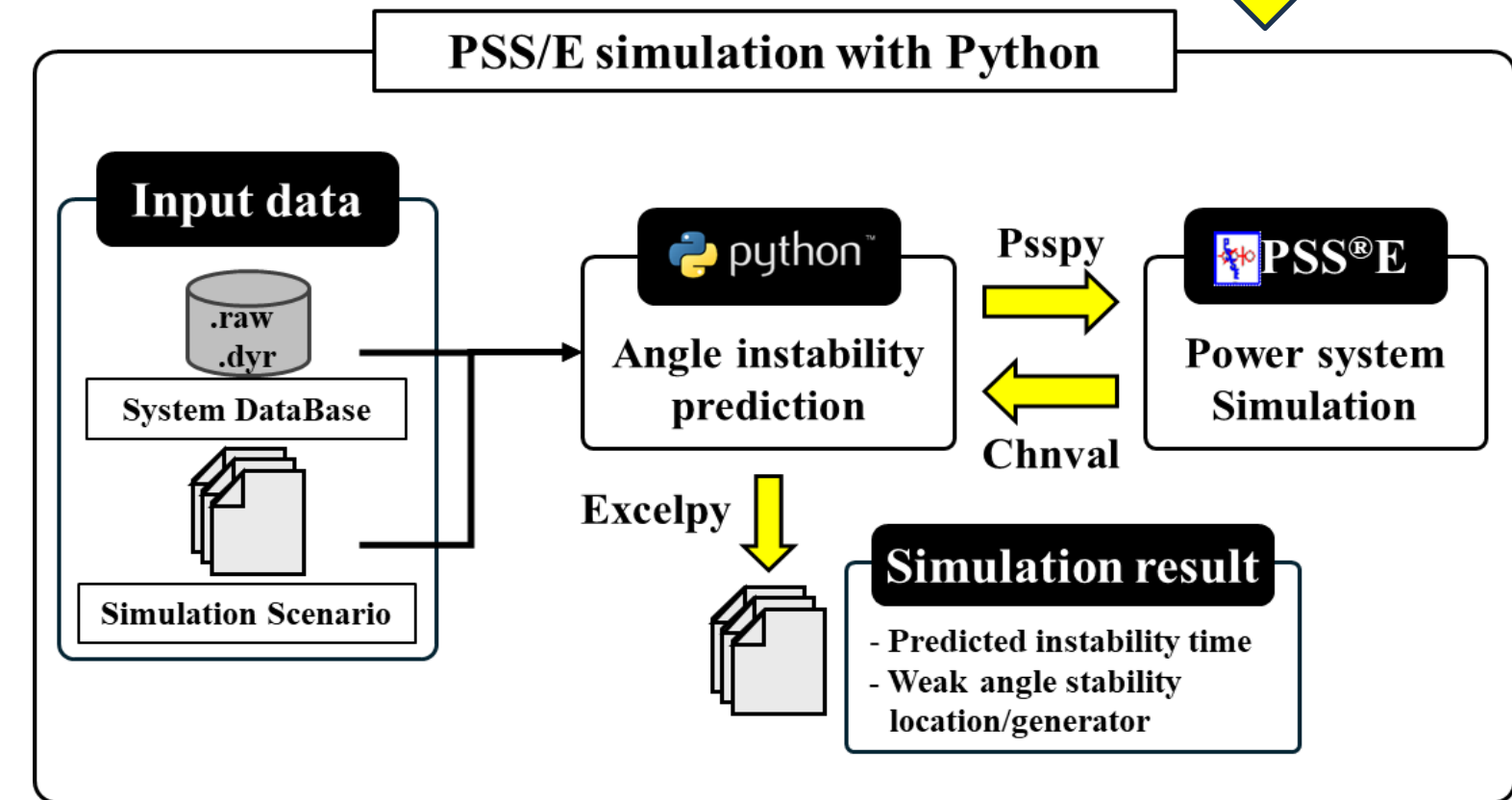
- Apply high-order derivatives method  
Assumed:  $\delta^{(3)}(t) = (const.)$ ,

$$\delta^{(2)}(t) = c(t - t_0) + b;$$

$$\delta^{(1)}(t) = \frac{c}{2}(t - t_0)^2 + b(t - t_0) + a;$$

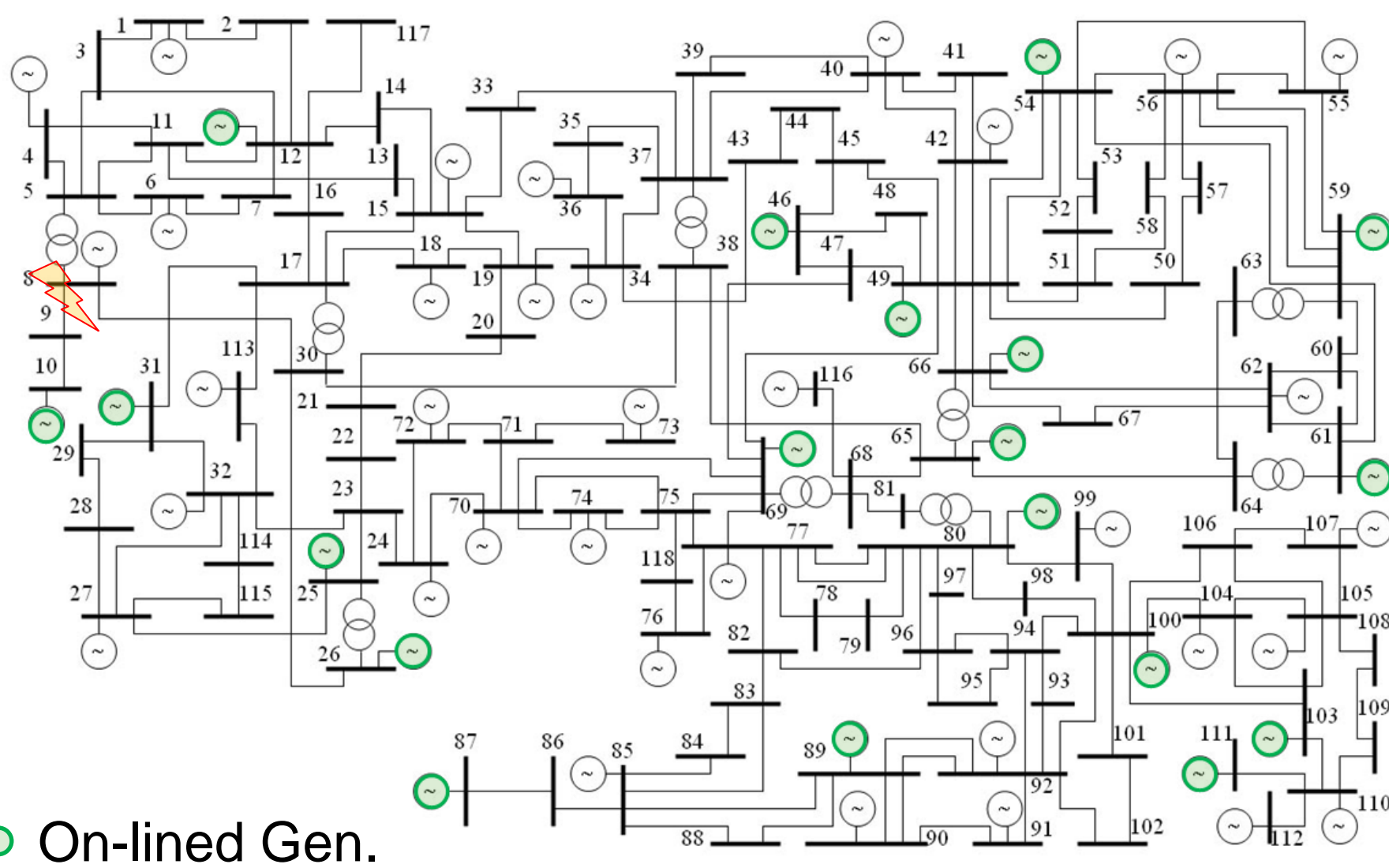


→ Instability Point (at  $t^*$ ):  
 $\delta^{(1)} > 0, \delta^{(2)} = 0$  and  $\delta^{(3)} > 0$   
 $\therefore \delta^{(2)}(t^*) = 0, \Rightarrow t^* = t_0 - \frac{b}{c}$

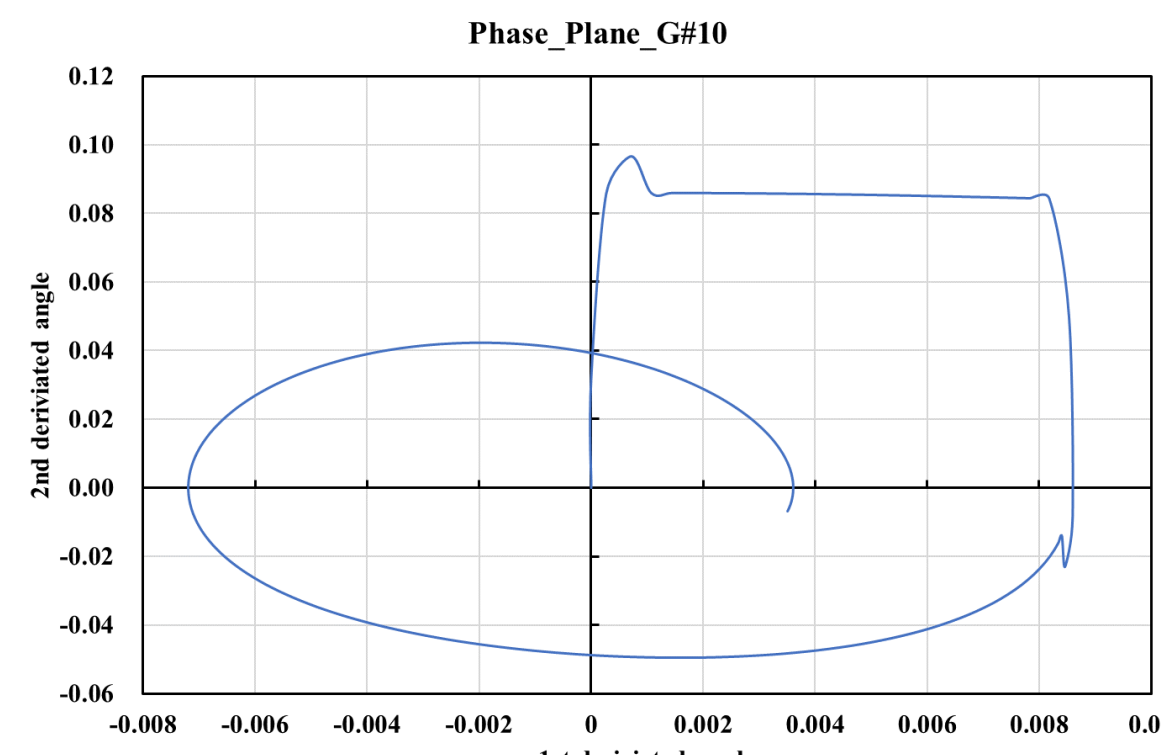


## Case Study#1: Instability Prediction for System Single Line-Faults Scenario

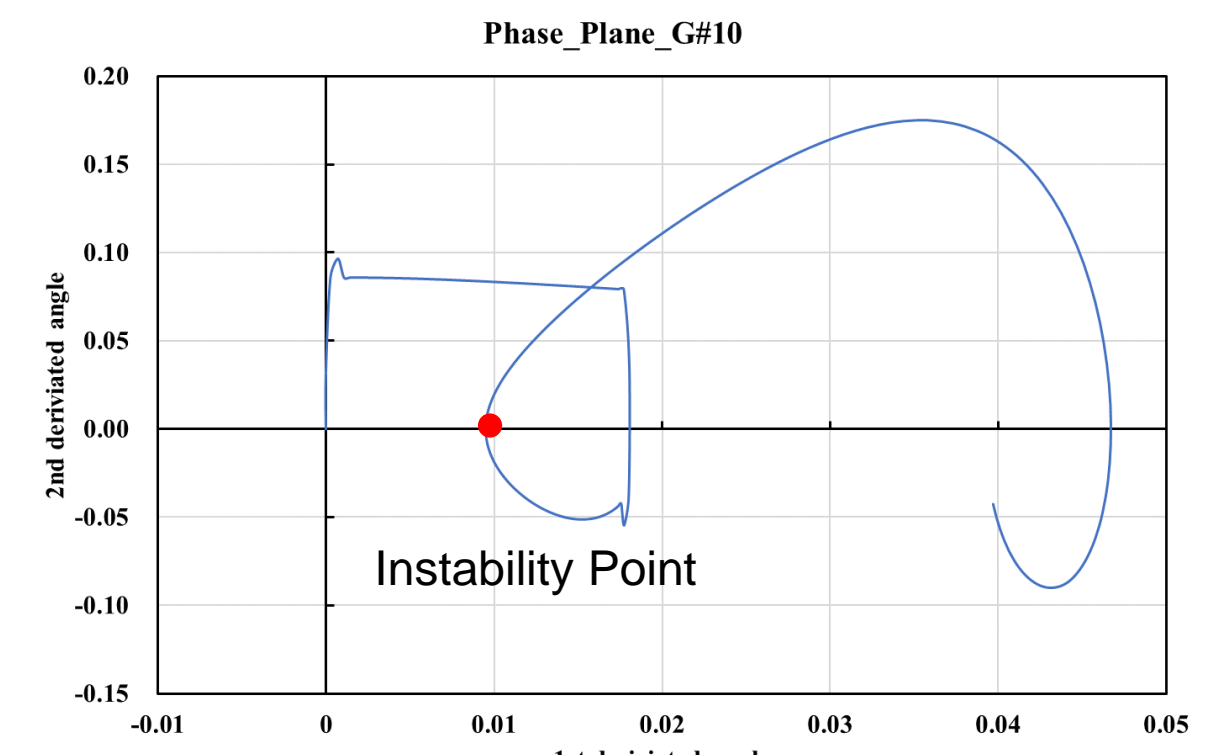
- Test system: IEEE 118 benchmark model.
- System size: 3.94 GW



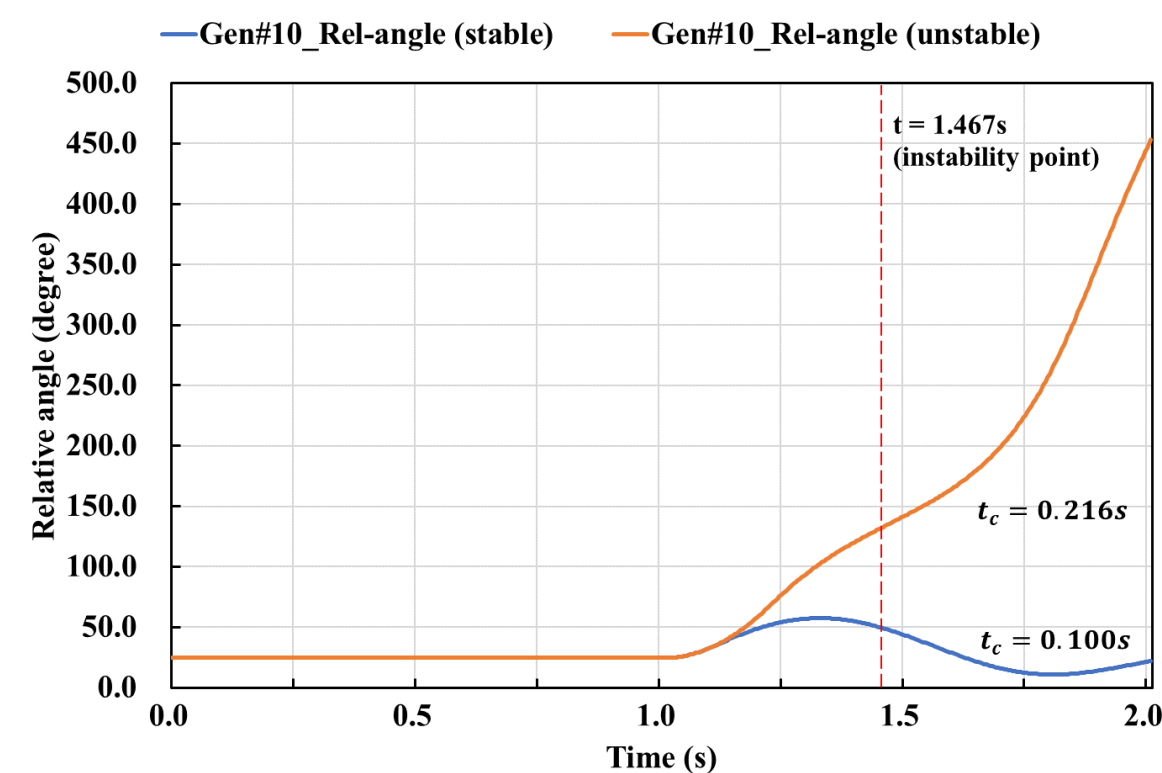
- Comparison of dynamic characteristics based on phase planes for stable and unstable conditions.
- Verification of angle instability prediction results.



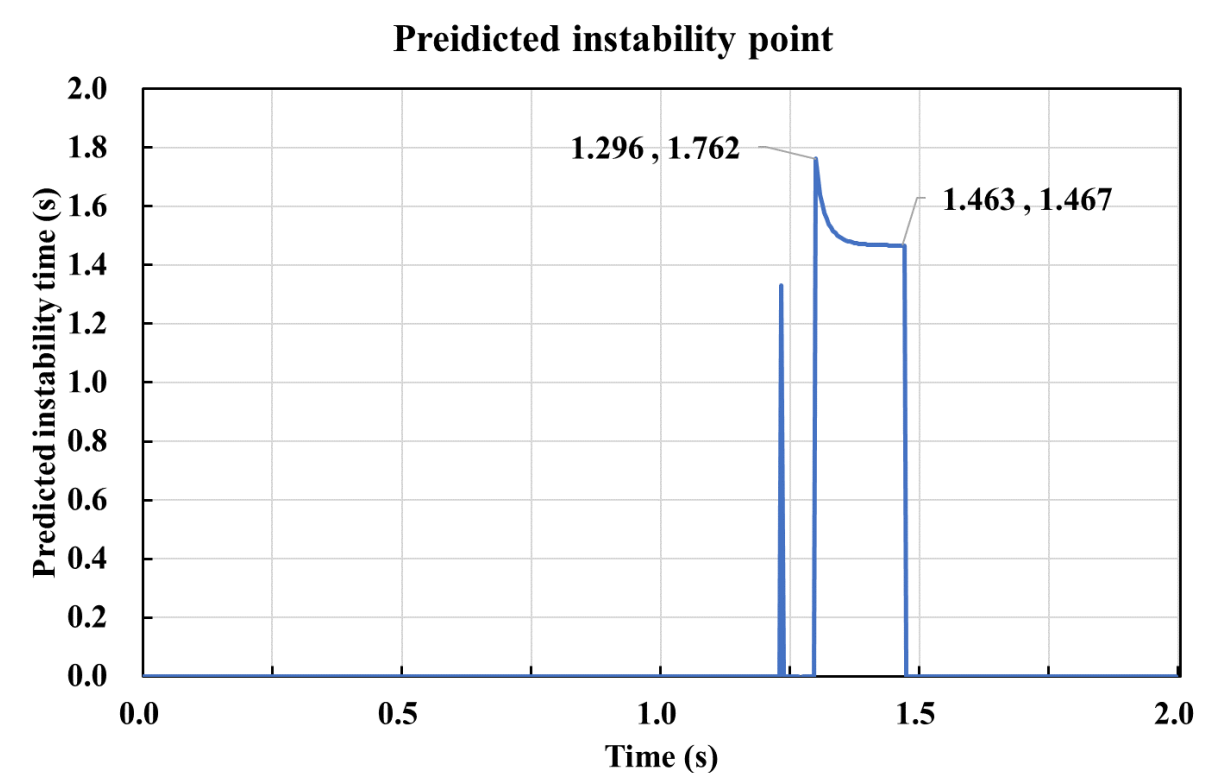
<stable case>



<unstable case>



<Generator angle>



<Instability prediction>

## Case Study#2: Expanded Angle Instability Prediction Results

- Total simulation cases: 175  
(Cases with instability during line-fault: 105)
- Prediction Evaluation:
  - Verification of 100% instability prediction
  - KPI based Evaluation

$$MAPE: \frac{100\%}{n} \sum \frac{|A_t - F_t|}{A_t} = 6.343\%$$

$$MAE: \frac{1}{n} \sum |A_t - F_t| = 0.107$$

$$RMSE: \sqrt{\frac{1}{n} \sum |A_t - F_t|^2} = 0.125$$

